UNIVERSAL, COMPUTER FACILITATED, STEADY STATE OSCILLATOR, CLOSED LOOP ANALYSIS THEORY AND SOME APPLICATIONS TO PRECISION OSCILLATORS

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Abstract

The theory of oscillator analysis in the immittance domain was presented in Ref 1 which should be read in conjunction with the additional theory in this paper. The combined theory enables the computer simulation of the steady state oscillator. The simulation makes practical the calculation of the oscillator total steady state performance, including noise at all oscillator locations. Some specific precision oscillators are analyzed.

PART 1 THEORY

1. INTRODUCTION

The theory consists of all the material in Ref 1 plus the material of Sections 3.12 through 3.14 presented in this paper.

3. THE REAL OSCILLATOR

3.12 The circuit noise transformation function, $CTRm$ (f), in the ZN configuration of Fig 2 of Reference 1

Eq 20, repeated here for convenience,

$$\overset{<\,term\ 0\,>}{\mathcal{L}_m(f)} \quad = \quad \overset{<\,term\ 1\,>}{\mathcal{L}_{Vn}(f)} \quad \bullet \quad \overset{<\,term\ 2\,>}{|\,RT/(Zt(f)\,|^2} \tag{20}$$

may be considered a special case of general Eq 25

$$\overset{<\,term\ 0\,>}{\mathcal{L}_m(f)} \quad = \quad \overset{<\,term\ 1\,>}{\mathcal{L}_R(f)} \quad \bullet \quad \overset{<\,term\ 2\,>}{CTRm(f)} \tag{25}$$

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In Eq 25, *term* 0 is the oscillator phase noise at location m, where, in Eq 20, $m = Ix$. Term 1 is called the residual phase noise [6] of the active or other device. Term 2 is called the circuit transformation of residual noise function at location m.

The importance of the residual noise lies in the fact that it can be measured independently of the oscillator. Then, one needs only to compute the applicable $CTRm(f)$ and then, using Eq 25, determine the oscillator noise, at any and every location.

Since it is stipulated that the noise is due to Vn, then

$$\mathcal{L} = PS - V_n(f)/[V_{in}(0)]^2 \tag{26}$$

$$= \mathcal{L}_{Vn}(f) \bullet [V_s(0)/V_{in}(0)]^2, \tag{27}$$

where V_{in} is the carrier input voltage at which the residual phase noise is measured and V_s is defined in Fig 2 (in Ref 1) and used in Eq 21.

3.12.1 The computation of CTRm(f)

From Eq 23;

$$\mathcal{L}_m = PS_m(f)/PS_m(0) \tag{28}$$

From Eq 12a;

$$
\begin{aligned}
PS_m(f) &= CF_{mVn}(f) \bullet PS_{Vn}(f) &\tag{29}\\
&= CF_{mVn}(f) \bullet \mathcal{L}_{Vn}(f) \bullet [V_s(0)]^2 &\tag{30}\\
&\text{From Eq 21} &\tag{31}\\
&= CF_{mVn}(f) \bullet \mathcal{L}_R(f) \bullet (V_{in})^2 &\\
&\text{From Eq 27} &\tag{32}
\end{aligned}
$$

Let

$= PS_m(0)/(V_{in})^2$

$$RO_m = PS(0)/PS_{V_{in}}(0) \tag{32a}$$

Then

$$PS_m(0) = (V_{in})^2 \bullet RO_m \tag{32b}$$

Combining Eqs 28, 31 and 32b, we obtain;

$$\mathcal{L}_m(f) = \mathcal{L}_R(f) \bullet CF_{mVn}(f)/R0_m \tag{33}$$

Comparing Eq 33 with Eq 25, we see that:

$$CTR_m(f) = CF_{mVn}(f)/R)_m \tag{34}$$

CF_{mVn} is calculated as in Sect. 3.9.

3.12.2 The calculation of $R0_m$ with the BPT program.

(Note that $R0_m$ is independent of Vn and dR)

   a. Enter the applicable ZN configuration of the oscillator.

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b. Set $F = f_o$ and $dR = 1E - 9$ ohm.

c. Make Vn a VW component (white noise voltage source) of convenient magnitude.

d. Execute Option C and note the magnitudes Vm, at locations m and V_in.

Then

$$RO_M = (V_m/V_{in})^2 \qquad (35)$$

or in dB using the DB option,

$$R)_m(dB) = V_m \text{ referred to } V_{in} \qquad (35a)$$

3.12.3 Notes for Sect 3.12

a. Validity of this section – The reader is reminded that, for flicker noise, this section is valid only for Fourier frequencies, f, at which $X_t(f) >> R_t(f)$ as stipulated in Sect 3.11

b. Figure of merit – $CTR_m(f)$ is a very useful figure of merit of the transformation of device residual noise into oscillator noise at all locations.

c. If it is desired to ascertain the magnitudes of the voltages and currents at all locations at $f = 0$, then

 1. Make dR a value such as that of Step 3.12.2.b.
 2. Set the Magnitude of Vn in step 3.12.2.c so that $V_{in}(osc)$ becomes equal to V_in (residual measurement input V) by means of Option E.
 3. Execute Option C and record the data.

3.13 The oscillator $Q_{opm}(f)$

Q_{op}, the oscillator operating Q, is generally defined by

$$Q_{op} = (dx/df)_{f \to 0} \bullet f_0/2RT \qquad (36)$$

It is seen that Q_{op} applies only to low f.

It is proposed that Eq 36 be extended to be

$$Q_{opm}(f) = (dx/df) \bullet f_0/2RT \qquad (37)$$

(which includes Q_{op})
 as it will yield more information.
It can be shown that

$$Q_{opm}(f) \approx f_0 \bullet (V_{in}/V_x)/\{2 \bullet SQR[CTR_m(f) \bullet f\} \qquad (38)$$

Both Q_{opm} and CTR_m will become more important with the expanded use of oscillators, with more complicated resonators, for which Leeson's noise model [1],[5] may not apply.

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3.14 Oscillator circuit configs.

Thus far the Z and N configurations have been described. There are additional useful configurations which are considered in detail in Ref 9. Some of these are

3.14.1 N config - This is the raw complete oscillator circuit It is assigned node numbers and then entered into the computer.

3.14.1.1 ZN config – This is the N config set up by means of the Z config. The N config of Fig 2 of Ref 1 is a ZN config.

3.14.2 Y config –This is the Y dual of the Z config and has dG, GV, and BV instead of dR, RV, and XV.

3.14.3 YN config –This is the N config. set up by means of the Y config. In addition, it has a jumper to enable Z measurements.

3.14.4 ZYN config –This is the ZN configuration which has also been provided with BV, GV, and dG.

Y and YN configurations have the important advantage of having fewer nodes.

The Z configuration is preferred over the Y configuration because of its much greater frequency capture range.

There are also many more possible Y, YN, and ZYN configurations since tuning elements can be connected between any 2 nodes. nodes. Choosing the optimum node pair is difficult.

PART 2 SOME APPLICATIONS TO PRECISION OSCILLATORS

7. INTRODUCTION

This part describes some applications to the precision oscillators likely to be found in PTTI systems.

The data was obtained with program BPT as directed by the user guided by the above theory. The circuit is entered into the computer as a NETLIST via a file or the keyboard. The computer translates the netlist into a PARTS LIST which is readily understood by any user. The user then interactively directs the computer to generate the desired data.

The program is basically an elaborate laboratory simulator with extensive stockroom, fabrication, instrument room, measurement, housekeeping, and recordkeeping facilities, unmatchable in any real laboratory. At present, the program is available for the IBM PC, AT etc. and compatible computers. The user proceeds, controls and operates the program as if he or she were constructing, testing, and then modifying the "simulated breadboard circuit", as directed by the user and the program, in exactly the same manner as in a real laboratory, but much more expeditiously, accurately, thoroughly. and with much greater understanding. The important difference is that the simulated breadboard includes only the information as directed by the user but the real breadboard also includes intrinsic information, unknown to the user, such as parasitic components and frequencies. This difference signifies that only about 90% of the real laboratory testing can be eliminated by the computer simulation.

From this program description, is seen that the general analysis and design modification procedures consists of the following 5 steps all performed within the program environment.

1. Construction of the oscillator.

2. Trimming this oscillator to the desired operating frequency.

3. Analyzing and evaluating the oscillator performance with the aid of the extensive measurement facilities within the program.

4. Modifying the oscillator to improve the performance.

5. Repeating steps 3 and 4 until the desired performance is obtained.

6. The analysis is then confirmed by constructing and testing the real oscillator to check the correct entrance of the parts and layout data into the computer and to be alerted of important omissions in the data.

It will be noted that above steps 1 to 5 are exactly those followed in the real laboratory but slightly modified for use with the above described theory. The effort and time required to perform these steps will be a small fraction of those for step 6.

The main difference between the this method of analysis and the customary present methods are

1. The circuit of the device being analyzed is that of the full real oscillator and not a possibly poor approximation incapable of producing all the important and correct data.

2. The type of data obtained closely resembles that for the real oscillator and, in addition, types, practically, unobtainable in the real laboratory.

The difference is primarily due to the closed loop analysis and the noise source, amplifier and filter oscillator model, made possible by the computer and the above theory, as contrasted with the customary open loop analysis . It should be remembered that the real oscillator operates closed, and not open, loop.

The applications are:

1. A 10 MHz 1 resonator oscillator.

2. A 10 MHz 2 resonator oscillator.

Application 1 has been and is being manufactured in very large quantities and it is difficult to appreciate the value of a detailed analysis at this stage in its design history. However, the analysis is still useful, at this time, in the following respects:

1. It provides a greater understanding of the oscillator operation.

2. It clearly demonstrates the validity of the complete design basis including the optimum noise performance.

3. It serves as a production control tool for quickly determining the effect of changes in part characteristics upon the total oscillator performance and thus providing information as to the permissibility of substituting parts with these changes. Such changes are very often found necessary during production.

Application 2 is an example of the use of the theory and program as a research and development tool. This oscillator has never been built and it is advisable to conduct a preliminary computer study to explore its behavior and desirability prior to more intensive computer studies and expensive experimental efforts.

The data for these applications are presented in the form of simplified schematics, a typical netlist, a typical parts list, and plots of the more important, and infrequently or not previously published, operating characteristics. Comments on the data are also included.

The oscillator plots are for 2 quantities versus the Fourier frequency, f.

The circuit transformation of residual noise at location m, $CTR_m(f)$. The magnitude of the closed loop impedance, $Z_{in}(f)$, at the input terminals of the active device.

The CTR_m function is described in Sect 3.12

If the noise performance of the oscillator, $\mathcal{L}_m(f)$, has been experimentally determined and $CTR_m(f)$ has been calculated, then the residual noise can then be calculated from Eq 25.

The Z_{in} quantity determines the contribution of the active device input noise current, I_n, to the oscillator noise as it produces a noise voltage, $E_n = I_n \bullet Z_{in}$, across the active device input terminals. It is therefore very important, when measuring the device residual noise, that the device be terminated to simulate the impedances present in the closed loop oscillator.

In this connection, the noise currents may be determined by measuring the residual noises at the calculated terminations and then calculating the corresponding noise currents (see Sect 3.12.3c).

8. 10 MHz 1 RESONATOR OSCILLATOR
Fig 4 is the schematic diagram of this oscillator, called **OSC1**.

It is the familiar Colpitts type with an SC cut 3rd overtone crystal resonator, XL, having R1 = 70 Ohms, C1 = 2.1E-16 Farad and Qx = 1.083E6.

There are 5 additional components which are critical and therefore must be carefully controlled; CA, LA, CN, LN, and C'L. CA and LA make up the resonator mode selector network, X1 (see Ref 3). CN and LN make up the resonator overtone selector network, X2. It is possible to combine the overtone and mode selector functions into 1 three element network, either in X1 or X2. However, in production, the control of the elements becomes very difficult.

C'L is the tuning element of the resonator. It may be a capacitance, inductance, or a network including a tuning diode.

The use of elements consuming RF power has been minimized so that the calculated oscillator Q_{op}, 1.080E6, is very close to Q_x. This is true only when RL is 1 Megohm. For RL = 10 Kilohms, Q_{op} becomes 9.605E5 and for RL = 1 Kilohm, Q_{op} = 4.885E5 and quickly decreases with further reductions in RL.

Fig 4 shows both V_{in} and V_s (see Sect 3.12) defined as if RE were an integral part of the transistor

Q1. This is done to ensure that the measurement of the residual noise, $\mathcal{L}R(f)$, in Q1 includes the, well known, marked reduction in flicker noise due to RE. . Fig 5 shows CTR_m and Z_{in} plotted versus f.

CTR data is presented for 2 locations, RL and I_x. RL is the normal output location. However, the curves indicate that the I_x noise performance is superior past $f = 10$ Hz and much superior at high values of f. Therefore consideration should be given to extracting the output from I_x. One method of doing this without significant deterioration in Q_{op} and the low frequency noise performance is described in Ref 8.

The curves include data for both the upper and lower sidebands, $+f$ and $-f$, of the spectrum since they may not be symmetrical. symmetrical. The asymmetry is caused by the fact that the signal, at the location being observed, is the sum of at least 2 signals arriving via different paths. If there is only 1 major llator noise source then the signals are correlated and must be combined as phasors.

The relative phase varies with the frequency f, and at $f = f_a$ the signals will be in phase in one sideband and out of phase in the other sideband. The out of phase signals causes dips in the CTR function in the region of f_a. The value of f_a has a strong dependence upon Q_{op}, being closer to f_o the greater the Q_{op}, because the phase shifts more rapidly.

The magnitude of the dip is a function of the equality of the magnitudes of the 2 signals. Curve B of Fig 5 shows a dip of about 20 db at about 20 Hz below the carrier. There is no conspicuous dip in the resonator current, I_x, noise because of the resonator filtering action. This effect may be of great importance in systems which require an usually low noise signal in a relatively narrow f region close to the carrier.

A strong dip also exists in curve G, the curve for $Z_{in} - f$, at a somewhat higher magnitude f_a.

The Z_{in} plots show an increase of over X 100 as f varies from 100 to .1 Hz.

9. 10 MHz 2 RESONATOR OSCILLATOR

The following reports on the result of a preliminary computer study to determine whether it merits additional computer and experimental studies.

Fig 6 is the working but unoptimized schematic diagram of the ac circuits of this oscillator, called **OSC2**.

It is a modified Pierce type with 2 resonators, XL1 and XL2, identical to XL1 of Fig 4, capacitively coupled by Cc.

The oscillator parts list in shown in Fig 7 and the netlist is that in Fig 8.

For simplicity, the mode selector and overtone selector networks are not included but they can be similar to those of **OSC1**. It is interesting to observe that their omission is tolerable in the computer oscillator but may be disastrous in the real oscillator.

C'L1 and C'L2 are the tuning adjustments for their respective resonators. These adjustments also serve to set the oscillator frequency, f_o, and to shape the oscillator phase noise curve at low Fourier frequencies.

A $+1$ Hz shift in the effective f_s of XL1 corresponds to $+.43$ Hz shift in the oscillator f_o.

A $+1$ Hz shift in the effective f_s of XL2 corresponds to $+.55$ Hz shift in the oscillator f_o. This data

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shows that the resonators are almost equally important in determining the oscillator long term frequency stability.

$Q_{op} = 1.47E6$ which is about 40—because of the 2 resonators.

At $f < 8$ Hz the noise is identical at all locations and equal to those of **OSC1** except for the 3 dB improvement due to the higher Q_{op}.

At $f > 20$ Hz the noise performance may be much superior to that of **OSC1**. The best performance, that at location C2, is also plotted on Fig 5 to facilitate the comparison of the noise performance of the 2 oscillators. It will be seen, from that figure, that at 10 KHz, the OSC2 performance is potentially better by about 60 dB.

The Z_{in} plots are appreciably better than those of **OSC1**.

The following carrier signal levels were calculated by BPT after setting dR so that I_x of XL1 = 1 mA, corresponding to dR =1.36E-5 ohm :

I_x of XL2 = 0.17 mA
V of C1 = 0.099 V., V of Cc = 0.015 V., V of C2 = 0.026 V.
The calculated Idc of Q1, is, assuming ALC limiting, 0.75 mA.

10. ADDITIONAL NOISE SOURCES

A large part of the just reported very good noise performance of **OSC1** and the even better performance of **OSC2** may be nullified by the following important additional noise sources:

Resonator noise (See Section 3.3)- Resonator noise, which is mainly flicker frequency noise, produces f^{-3} phase noise which, in good circuit designs, swamps the circuit flicker noise and thus effectively determines the total oscillator phase noise, at low f.

Additive noise- Noises, produced by passive component thermal and other noise sources and noises generated in active devices such as buffer and output amplifiers, set effective limits to the total oscillator noise floors.

Those readers, not used to the CTR_m and residual noise concepts but are familiar with the customary $\mathcal{L}(f)$ noise data, are reminded that, since $\mathcal{L}(1E4)$ of a good active device is better than -140 dBc, the 10 KHz point on curve E of Fig 9 corresponds to a highly improbable $\mathcal{L}_{C2}(1E4)$ of (-140 -125) = -265 dBc.

11. CONCLUSIONS for PART 2

In spite of its relatively complex circuit, requiring 2 high performance resonators, the following conclusion are reached:

In view of its potentially excellent noise performance, the 2 resonator oscillator merits further computer and experimental study including the possibility of also using the 2 resonators as part of a vibration noise cancellation system.

Much additional effort is desirable to decrease the effect of the noise sources described in Sect 10.

12. REFERENCES

[1] B.Parzen, *"Steady State Oscillator Analysis in the Immittance Domain"*, Proc. 21st Annual Precise Time and Time Interval Applications and Planning Meeting, pp 161-168, Nov. Nov. 1989

[2] D.B. Leeson, *"A Simple Model of Feedback Oscillator Noise Spectrum"*, Proc. I.E.E.E, vol 54, pp. 329-330, Feb. 1966.

[3] B. Parzen, Design of Crystal and Other Harmonic Oscillators. Oscillators. New York:Wiley, 1983.

[4] W.P. Robins, Phase Noise in Signal Sources. London:Peter Peregrinus Ltd, 1982.

[5] B. Parzen, *"Universal, Computer Facilitated, Steady State Oscillator Analysis Theory and Some UHF and Microwave Applications"*, Proc. 45th Annual Frequency Control Symposium, pp. 368-383. May 1991.

[6] B. Parzen, *"Clarification and a Generalized Restatement of Leeson's Oscillator Noise Model"*, Proc. 42nd Annual Frequency Control Symposium, pp. 348-351, June 1988.

[7] G. Montrose et al., *"Residual Noise Measurements of VHF, UHF, and Microwave Components"*, Proc. 43rd Annual Frequency Control Symposium, pp. 349-359, May 1989.

[8] R. Burgoon and H. 1. Wilson, *"Design Aspects of an Oscillator Using the SC Cut Crystal"* Proc. 23rd Annual Frequency Control Symposium, pp. 411-416, 1979.

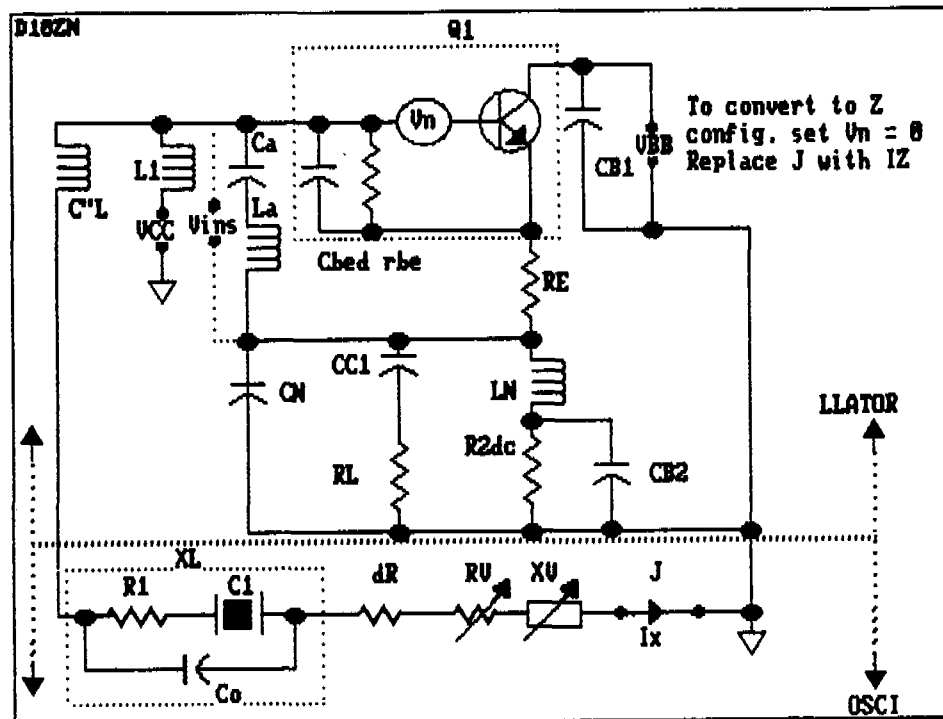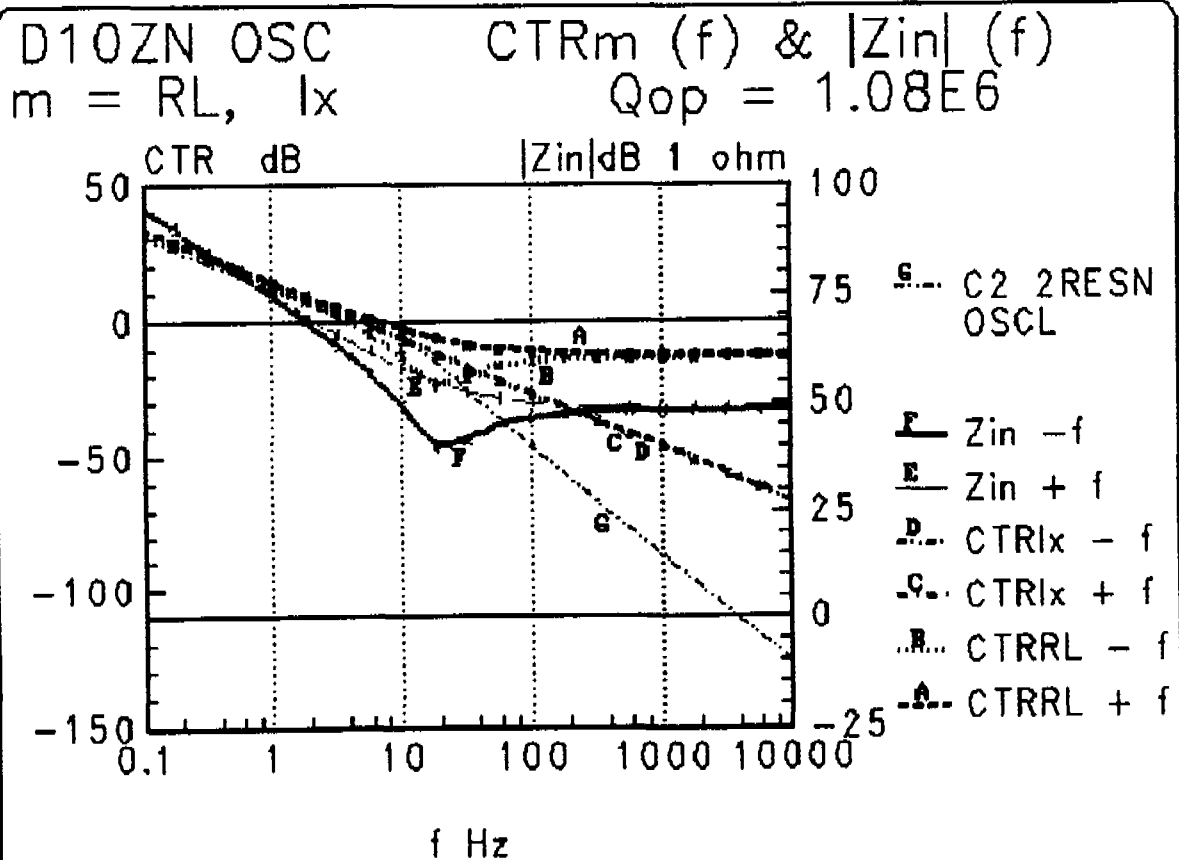[9] B. Parzen, Oscillator and Stability Analysis in the Immittance Domain. In preparation.
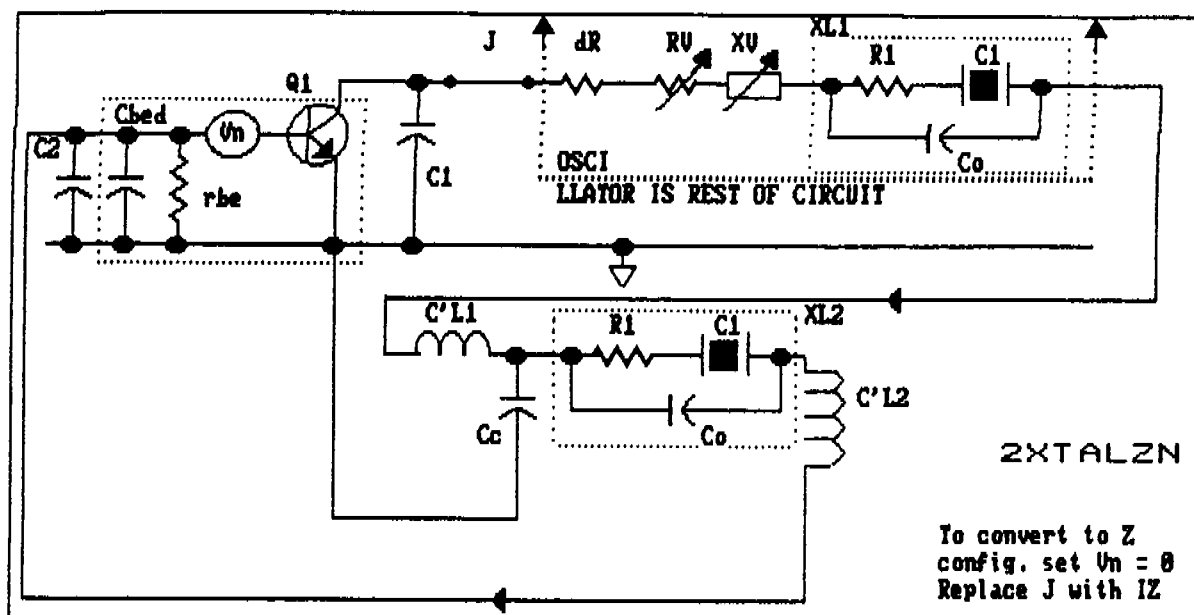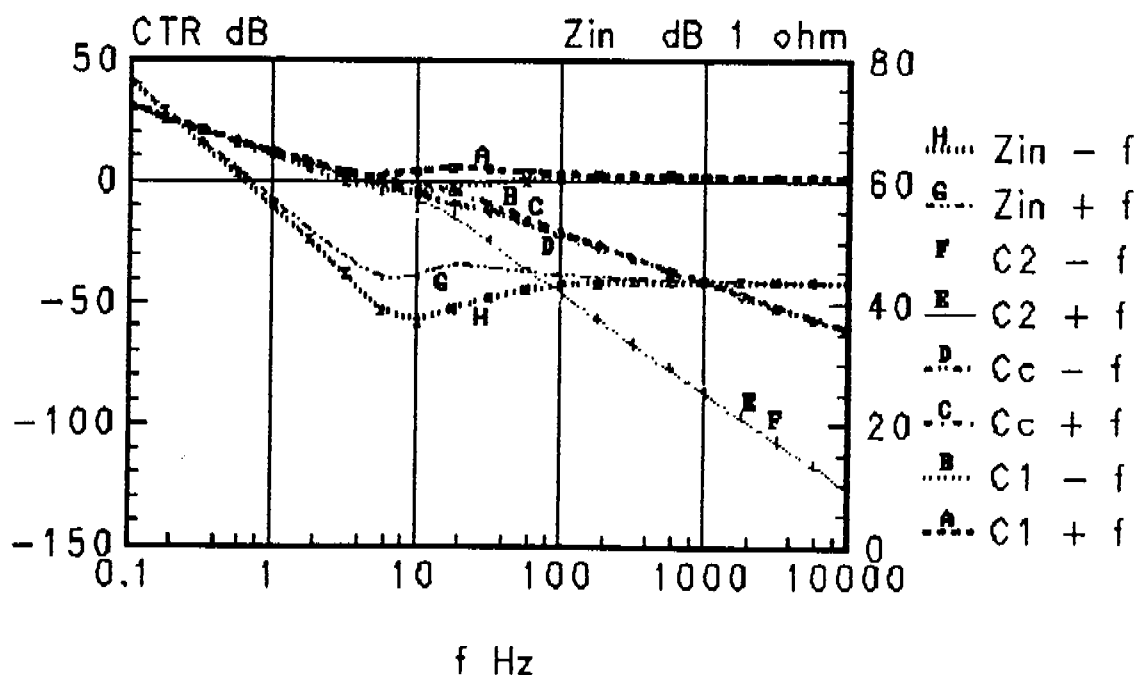
FIG 4 10 MHz 1 XTAL OSCILLATOR
ZN CONFIG

FIG 6   10 MHz 2 XTAL OSCILLATOR
ZN CONFIG

2XTALZN OSC   CTRm (f) & |Zin| (f)
m = C1, Cc, C2   Qop =1.47E6
fo = 10,000,003+ Hz

.H.... Zin − f
.G.. Zin + f
F C2 − f
E C2 + f
.D.. Cc − f
.C.. Cc + f
.B.. C1 − f
.A.. C1 + f

f Hz

OF COMPONENTS = 20   HIGHEST NODE # = 13   # OF VOLTAGE SOURCES = 1
2XTALDRZ   FREQUENCY= 10000003.14865001
CIRCUIT NOTE : 10 mhz 2xtal osc z config
  COMPNT. CONNECTED TO NODE

#	SYB	N1-	+N2	TYPE	VALUE	PHASE ANGLE
1	c1	1 - 0		CAPACITOR	1E-010	
2	{J}	1 - 10		JUMPER,	R = 9.999999999999999E-021	
3	{dR}	10 - 11		RESISTOR	1.36E-005	
4	{RV}	11 - 12		RESISTOR	-3.917113507084587E-002	
5	{XV}	12 - 13		X, REACTANCE	-1.876242564109969E-007	
6	(R1)XL1	13 - 2		RESISTOR	70	PO XL
7	(C1)	2 - 3		XTAL RSN'TOR	C1= 2.1E-016 fs= 10000000	
8	(Co)	1 - 3		CAPACITOR	1E-050	PO XL
9	C'L1	3 - 4		INDUCTOR	5.386228087475492E-007	
10	Cc	4 - 0		CAPACITOR	1E-009	
11	(R1)XL2	4 - 5		RESISTOR	70	PO XL
12	(C1)	5 - 6		XTAL RSN'TOR	C1= 2E-016 fs= 10000000	
13	(Co)	4 - 6		CAPACITOR	1E-050	PO XL
14	C'L2	6 - 7		INDUCTOR	1E-006	
15	C2	7 - 0		CAPACITOR	1E-010	
16	mm	B= 9 E= 0 C= 1		N, NPN BIP TRANSISTOR		
		gmo= 2.859460045734375E-002 BETA= 100 FT (MHz)= 1000				
17	(rbe)	0 - 7		RESISTOR	3497.163744224225	PO BIP
18	(Cbed)	0 - 7		CAPACITOR	4.550972008524029E-012	PO BIP
19	Vn	7 - 9		VW, WH NS V	3E-009	PO BIP
20	Vins	0 - 7		TESTPOINT SET,	R = 1E+020	

FIG 7 PARTS LIST
2 RESONATOR OSCILLATOR

```
10 mhz 2xtal osc z config, 1
c1,C, 1 , 0 , 1E-010 , 0 , 0 , 0
{IZ},I, 1 , 10 , 1 , 0 , 0 , 0
{dR},R, 10 , 11 , 1.36E-005 , 0 , 0 , 0
{RV},R, 11 , 12 ,-3.917113507084587E-002 , 0 , 1 , 0
{XV},X, 12 , 13 ,-1.876242564109969E-007 , 0 , 0 , 0
(R1)XL1,R, 13 , 2 , 70 , 0 , 9 , 0
(C1),C, 2 , 3 , 2.1E-016 , 0 , 9 , 10000000
(Co),C, 1 , 3 , 1E-050 , 0 , 9 , 0
C'L1,L, 3 , 4 , 5.386228087475492E-007 , 0 , 1 , 0
Cc,C, 4 , 0 , 1E-009 , 0 , 0 , 0
(R1)XL2,R, 4 , 5 , 70 , 0 , 9 , 0
(C1),C, 5 , 6 , 2E-016 , 0 , 9 , 10000000
(Co),C, 4 , 6 , 1E-050 , 0 , 9 , 0
C'L2,L, 6 , 7 , 1E-006 , 0 , 1 , 0
C2,C, 7 , 0 , 1E-010 , 0 , 0 , 0
mm,N, 9 , 0 , 1 , 2.859460045734375E-002 , 100 , 1000
(rbe),R, 0 , 7 , 3497.163744224224 , 0 , 7 , 0
(Cbed),C, 0 , 7 , 4.550972008524029E-012 , 0 , 7 , 0
Vn,VW, 7 , 9 , 0 , 0 , 0 , 0
Vins,TP, 0 , 7 , 1E+020 , 0 , 0 , 0
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FIG 8 NETLIST
2 RESONATOR OSCILLATOR